

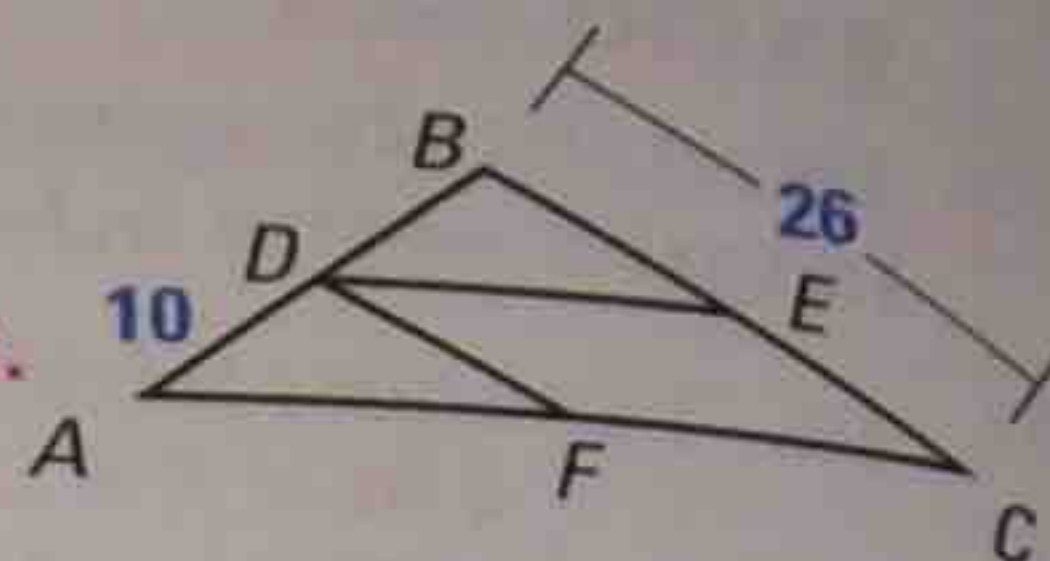
4. 2;
 $\triangle SWV \cong \triangle UWV$
 so $SV = UV$.

5. 3; since \overline{QS}
 bisects $\angle PSR$
 the Angle
 Bisector Theorem
 guarantees
 $PQ = RQ$.

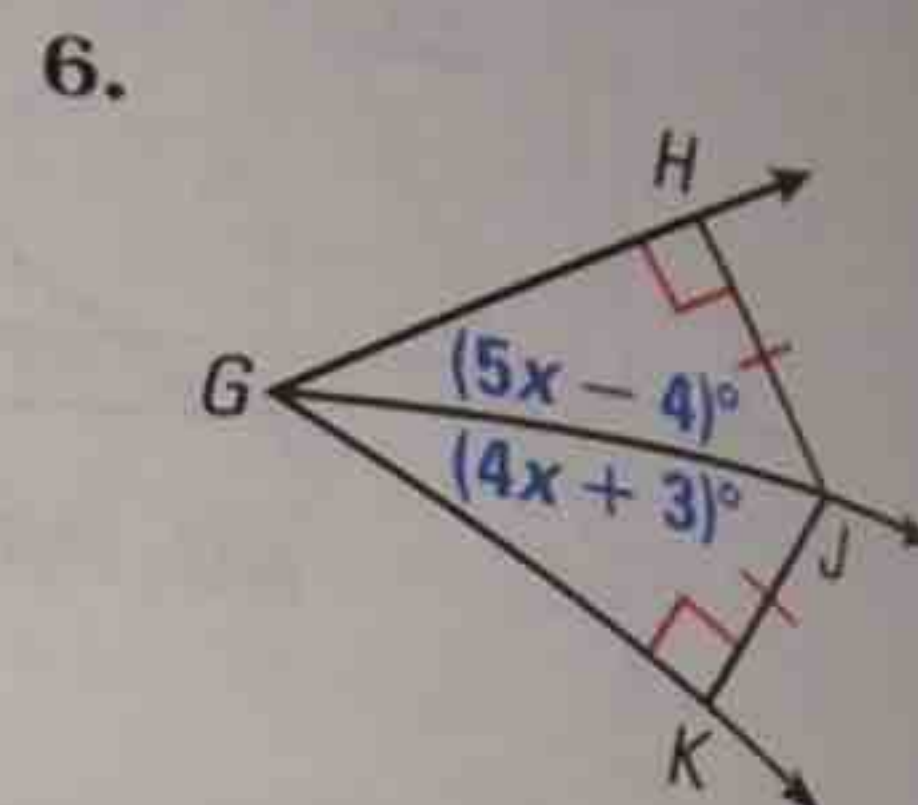
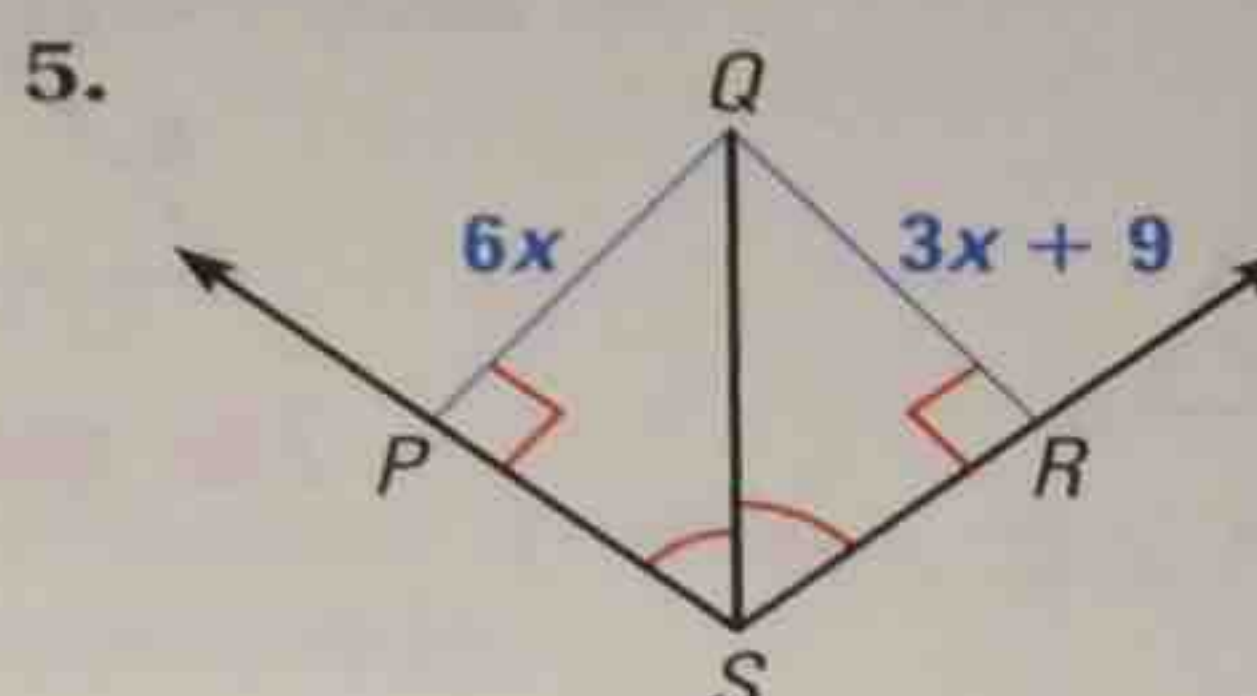
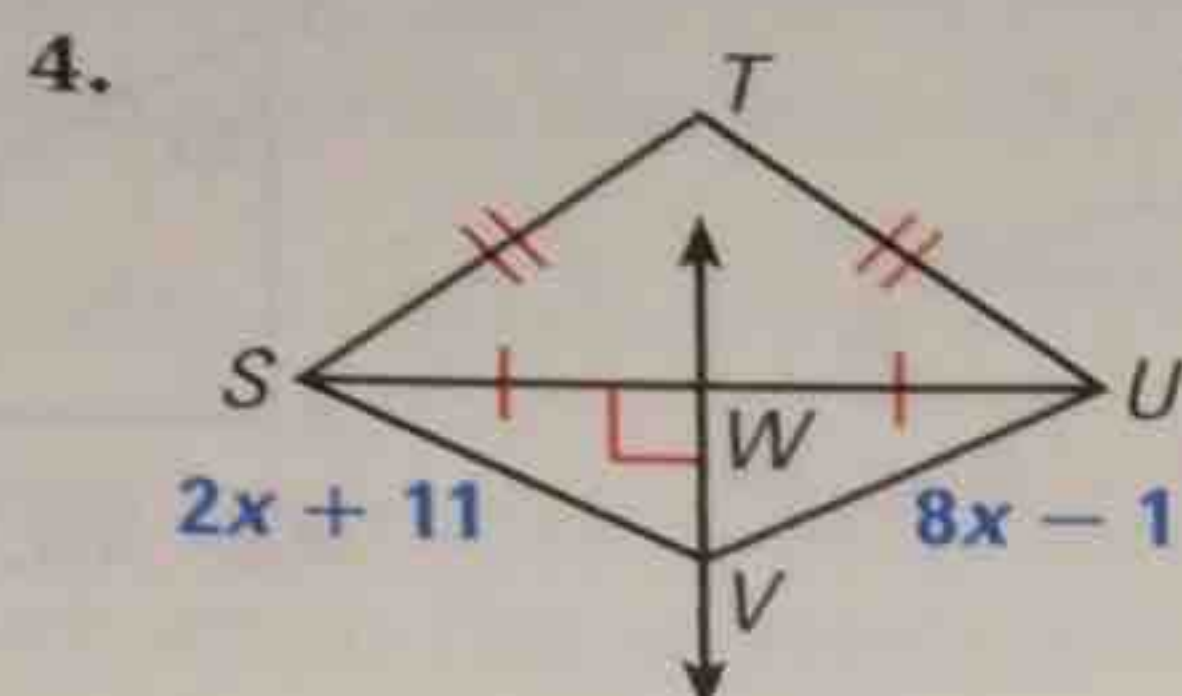
6. 7; since J is
 interior to $\angle HGK$
 and equidistant
 from each side
 of the angle,
 the Converse
 of the Angle
 Bisector Theorem
 guarantees
 $m\angle HGJ = m\angle KGJ$.

Two midsegments of $\triangle ABC$ are \overline{DE} and \overline{DF} .

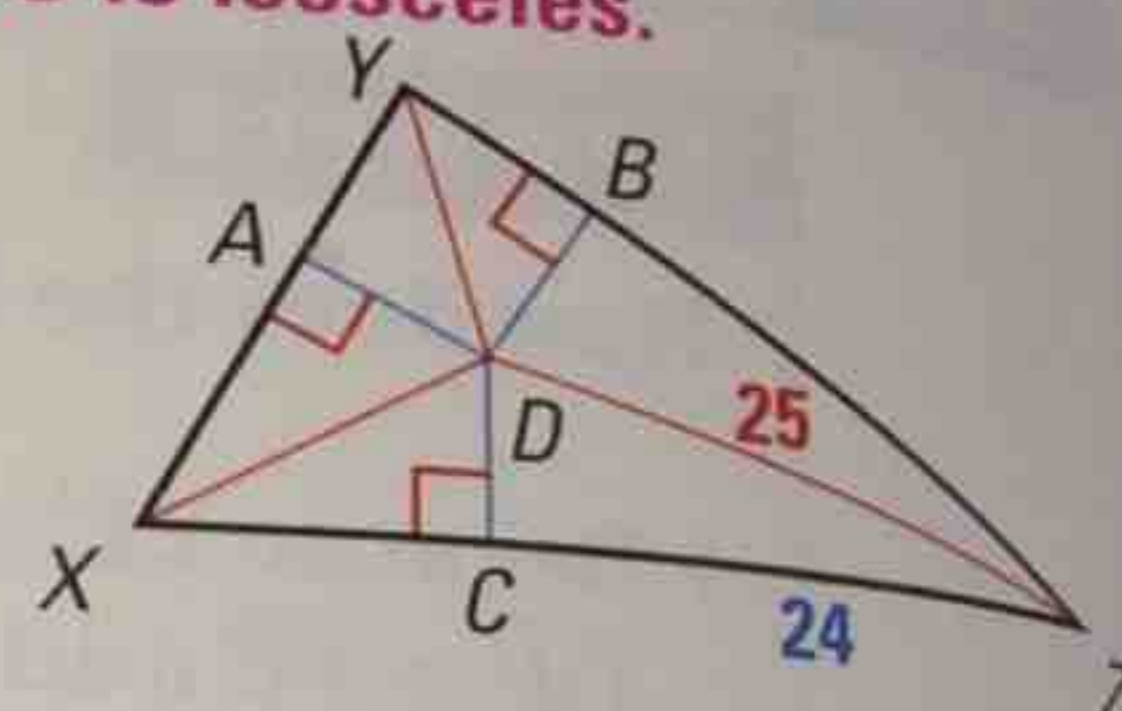
- Find DB . **10**
- Find DF . **13**
- What can you conclude about \overline{EF} ? **\overline{EF} is a midsegment.**



Find the value of x . Explain your reasoning.

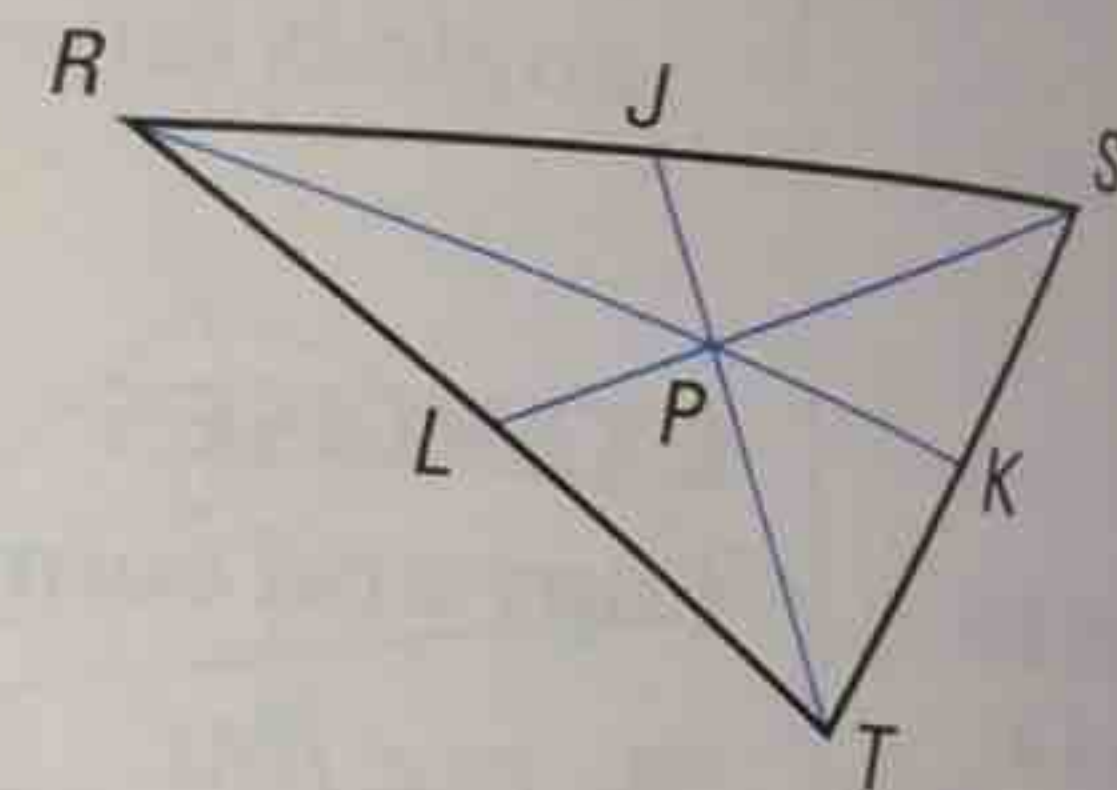


- In Exercise 4, is point T on the perpendicular bisector of \overline{SU} ? Explain. **Yes; $\triangle STU$ is isosceles.**
- In the diagram at the right, the angle bisectors of $\triangle XYZ$ meet at point D . Find DB . **7**



In the diagram at the right, P is the centroid of $\triangle RST$.

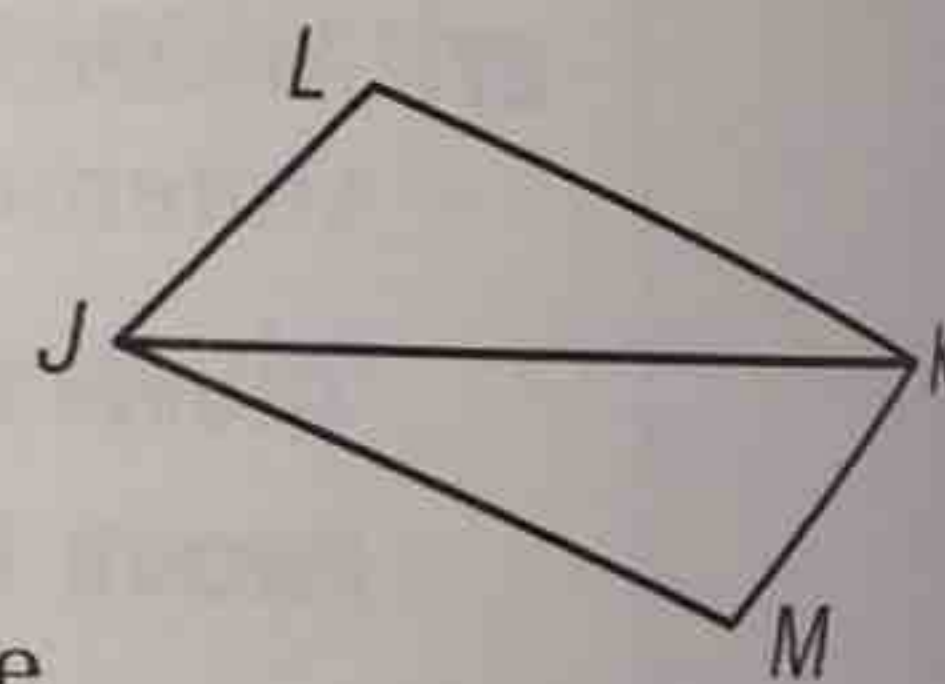
- If $LS = 36$, find PL and PS . **12, 24**
- If $TP = 20$, find TJ and PJ . **30, 10**
- If $JR = 25$, find JS and RS . **25, 50**



- Is it possible to construct a triangle with side lengths 9, 12, and 22? If not, explain why not. **No; the sum of the lengths of any two sides of a triangle must be greater than the length of the third side.**
- In $\triangle ABC$, $AB = 36$, $BC = 18$, and $AC = 22$. Sketch and label the triangle. List the angles in order from smallest to largest. **$\angle A, \angle B, \angle C$; see margin for art.**

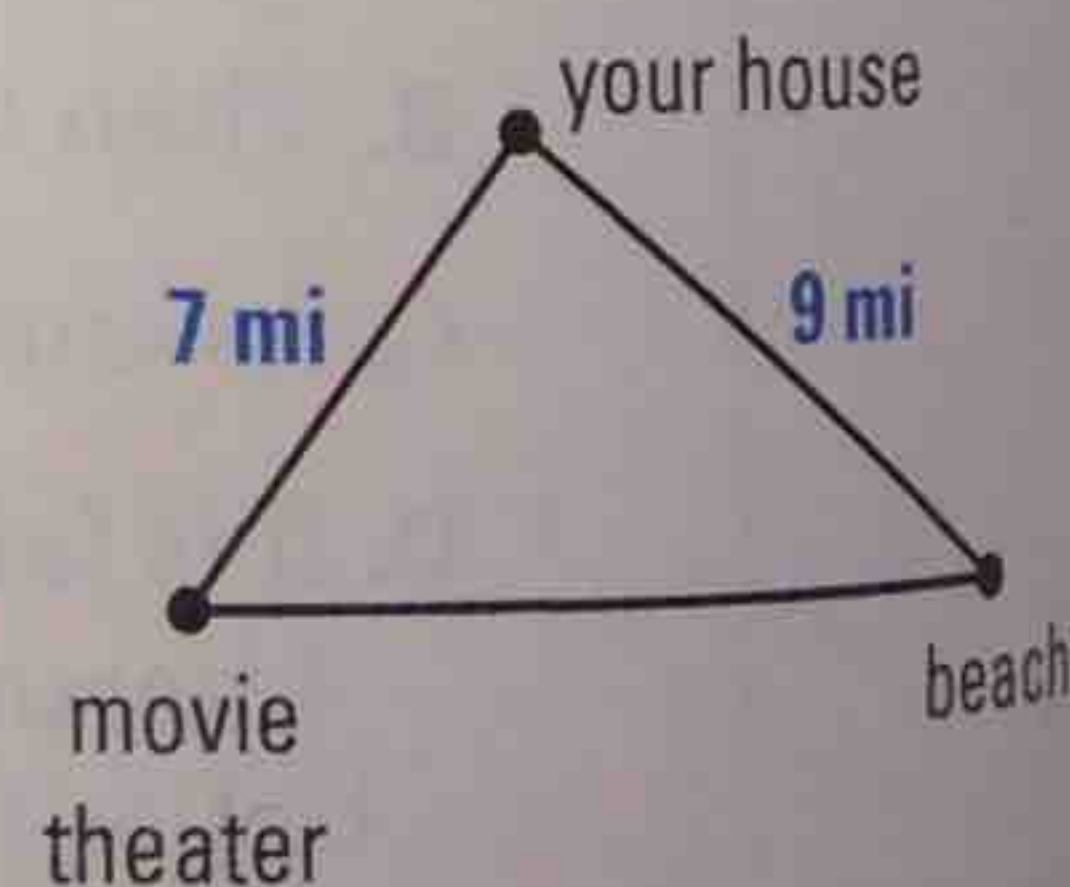
In the diagram for Exercises 14 and 15, $JL = MK$. See margin.

- If $m\angle JKM > m\angle LJK$, which is longer, \overline{LK} or \overline{MJ} ? Explain.
- If $MJ < LK$, which is larger, $\angle LJK$ or $\angle JKM$? Explain.
- Write a temporary assumption you could make to prove the conclusion indirectly: If $RS + ST \neq 12$ and $ST = 5$, then $RS \neq 7$. **Assume that $RS = 7$.**



Use the diagram in Exercises 17 and 18.

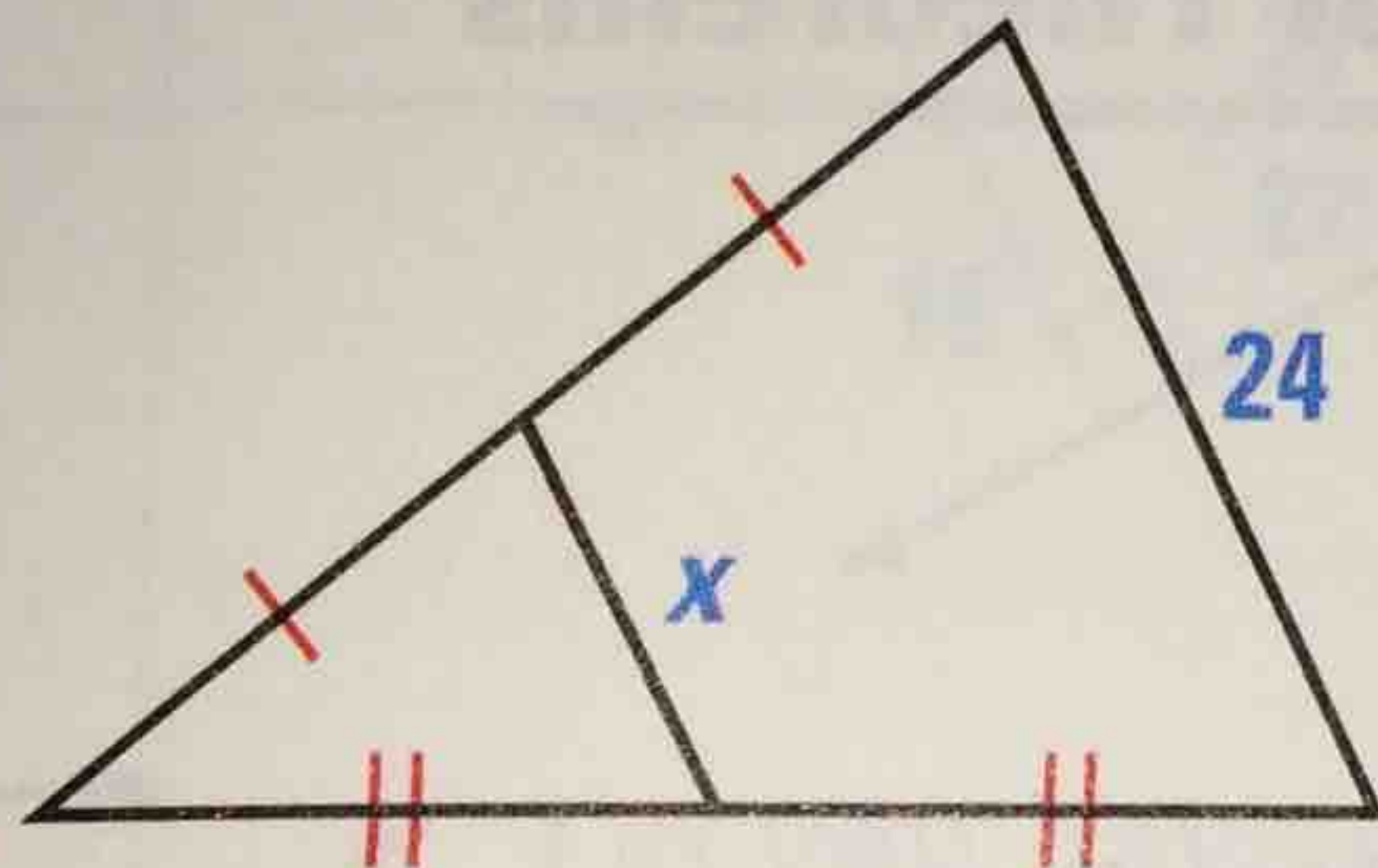
- Describe the range of possible distances from the beach to the movie theater. **$2 \text{ mi} < d < 16 \text{ mi}$**
- A market is the same distance from your house, the movie theater, and the beach. Copy the diagram and locate the market. **See margin.**



QUIZ for Lessons 5.1–5.2

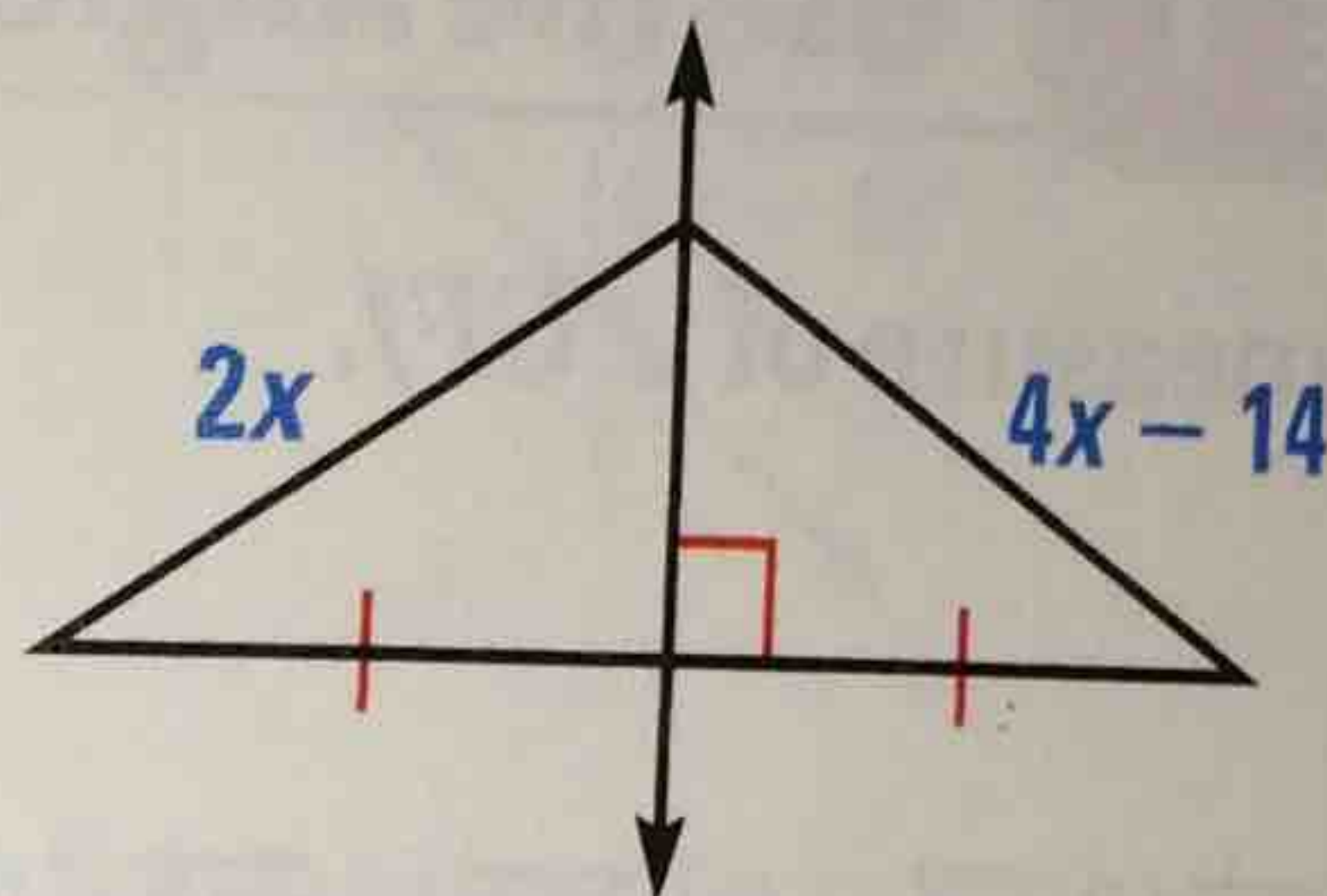
Find the value of x . Identify the theorem used to find the answer. (pp. 295, 303)

1.



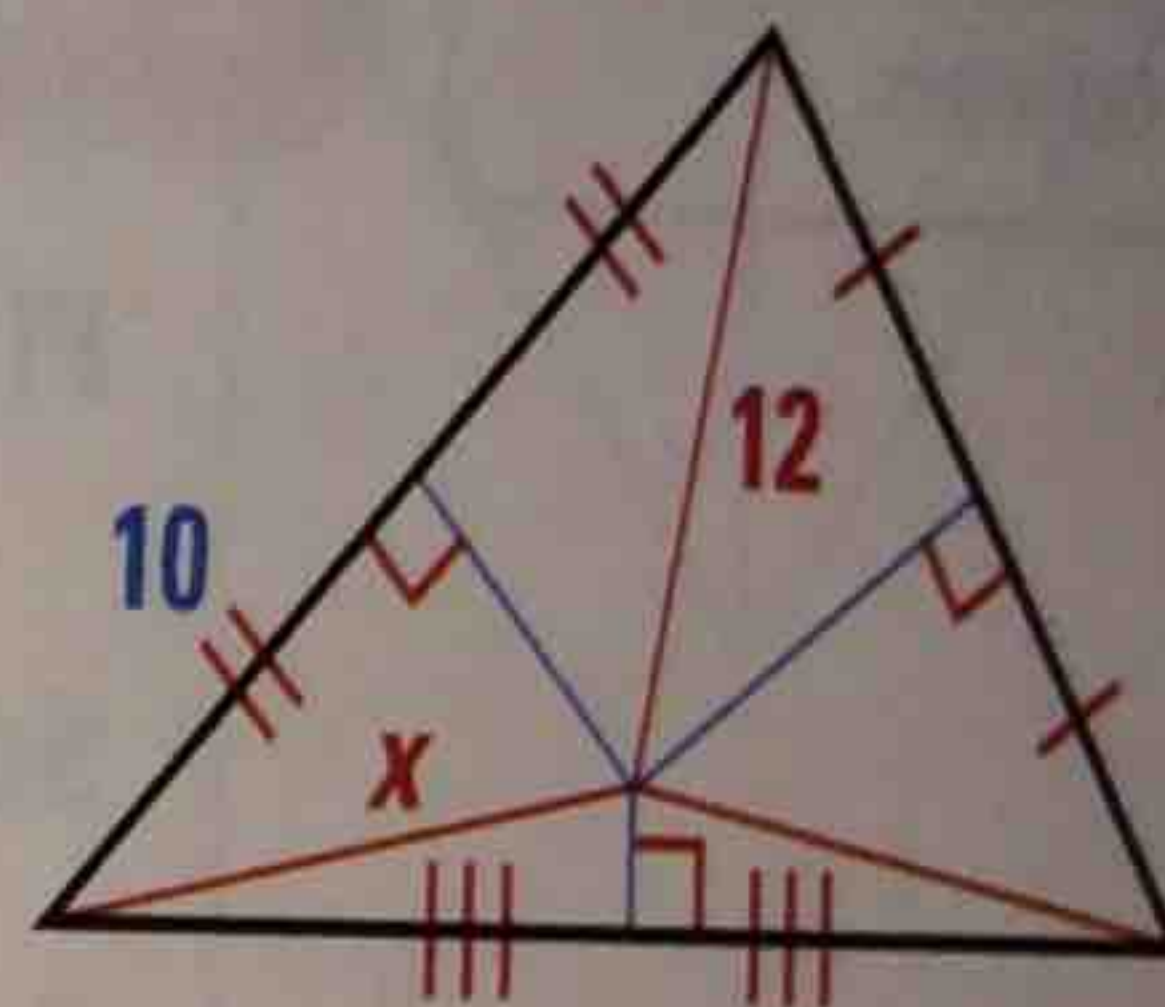
12; Midsegment Theorem

2.



7; Perpendicular Bisector Theorem

3.



4. Graph the triangle with vertices $R(2a, 0)$, $S(0, 2b)$, and $T(2a, 2b)$, where a and b are positive. Find RT and ST . Then find the slope of \overline{SR} and the coordinates of the midpoint of \overline{SR} . (p. 295) **$2b, 2a; -\frac{b}{a}, (a, b)$; see margin for art.**

EXTRA PRACTICE for Lesson 5.2, p. 904

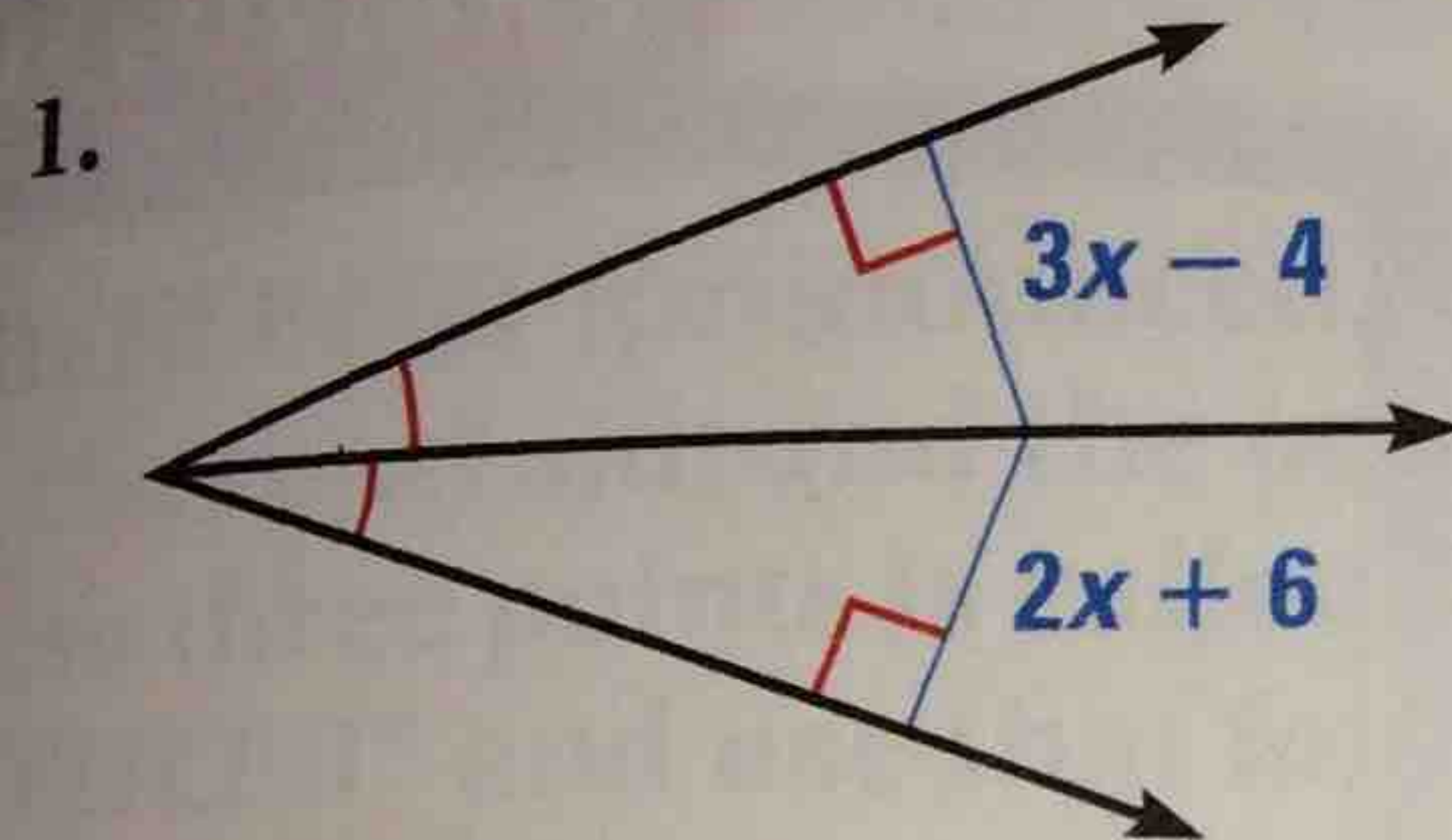


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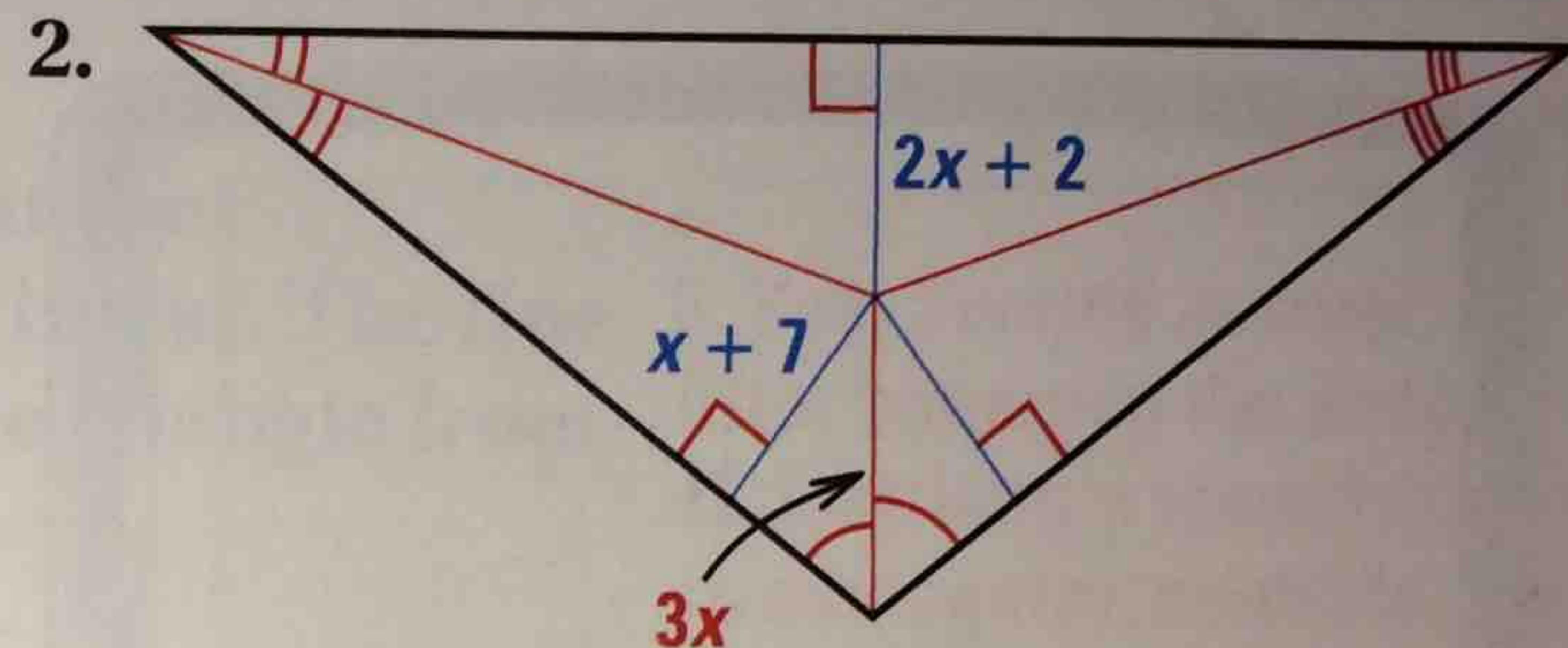
3. 12;
Concurrency of
Perpendicular
Bisectors
Theorem

QUIZ for Lessons 5.3–5.4

Find the value of x . Identify the theorem used to find the answer. (p. 310)



10; Angle Bisector Theorem



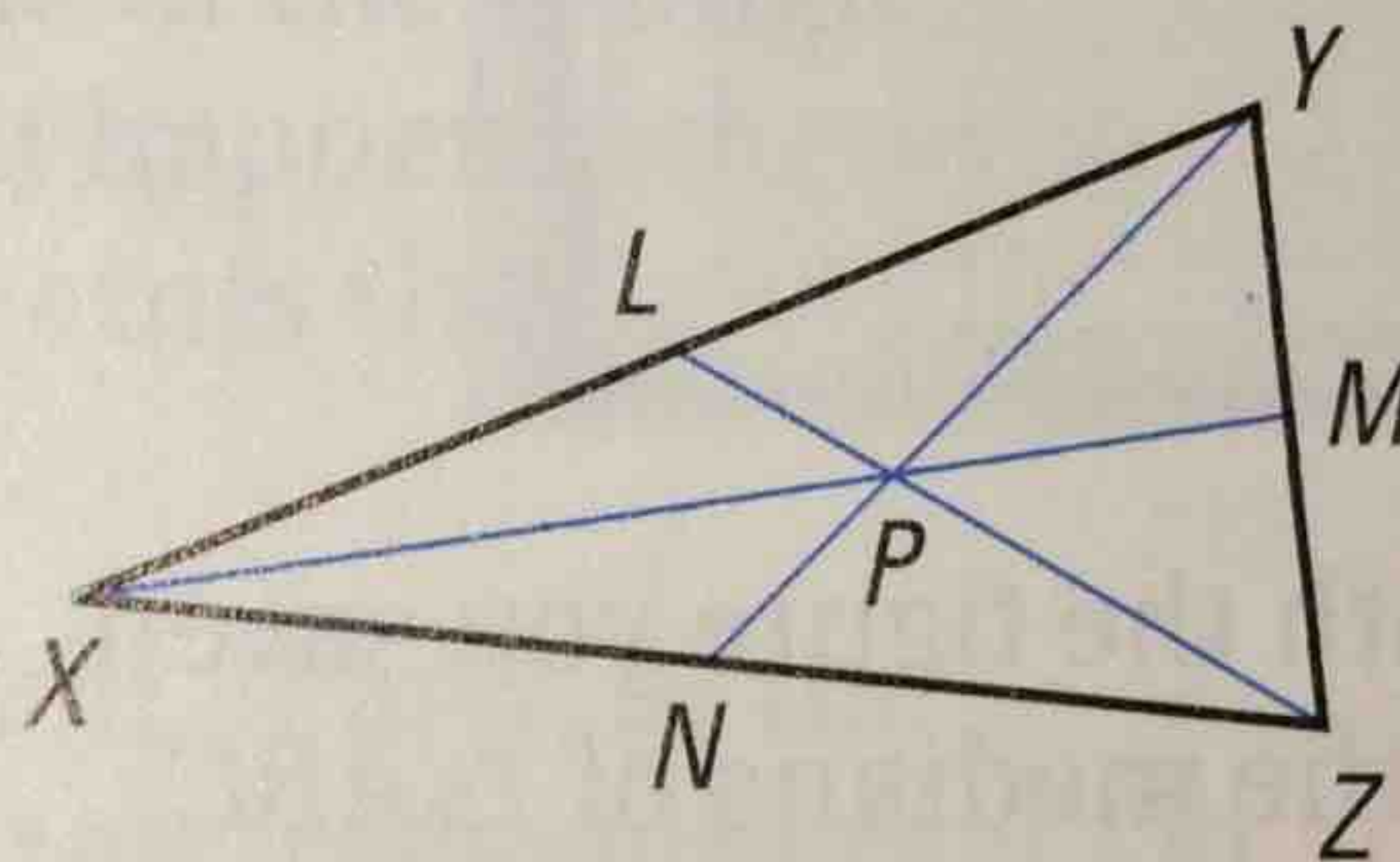
5; Concurrency of Angle Bisectors of a Triangle

In the figure, P is the centroid of $\triangle XYZ$, $YP = 12$, $LX = 15$, and $LZ = 18$. (p. 319)

3. Find the length of \overline{LY} . **15**

4. Find the length of \overline{YN} . **18**

5. Find the length of \overline{LP} . **6**

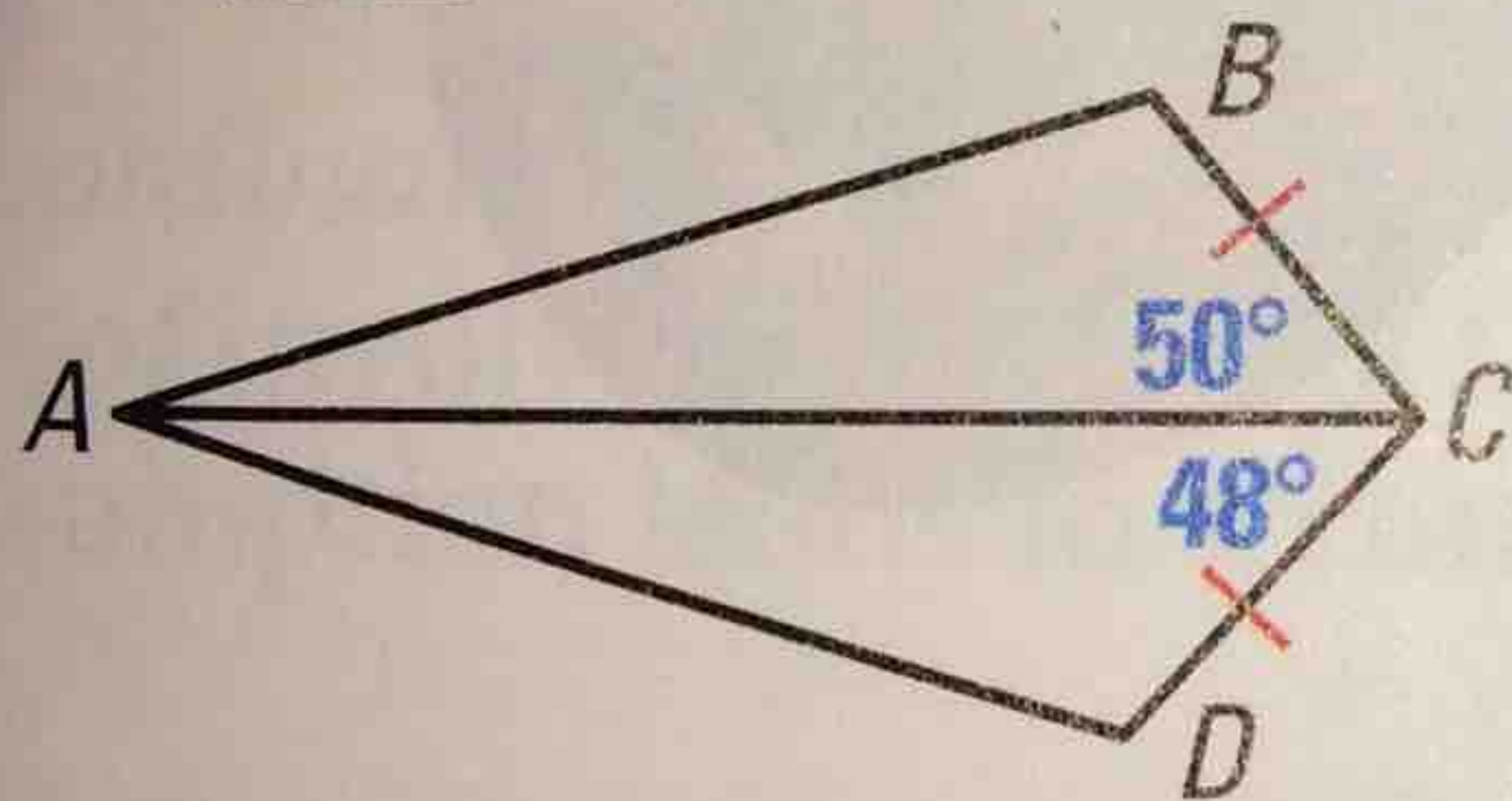


QUIZ for Lessons 5.5–5.6

1. Is it possible to construct a triangle with side lengths 5, 6, and 12? If not, explain why not. (p. 328) **No; $5 + 6$ must be greater than 12.**
2. The lengths of two sides of a triangle are 15 yards and 27 yards. Describe the possible lengths of the third side of the triangle. (p. 328) **$12 \text{ yd} < x < 42 \text{ yd}$**
3. In $\triangle PQR$, $m\angle P = 48^\circ$ and $m\angle Q = 79^\circ$. List the sides of $\triangle PQR$ in order from shortest to longest. (p. 328) **\overline{QR} , \overline{PQ} , \overline{PR}**

Copy and complete with $<$, $>$, or $=$. (p. 335)

4. BA ? DA **$>$**



5. $m\angle 1$? $m\angle 2$ **$>$**

