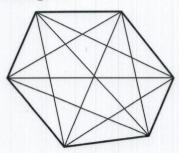
8.1 Skill Practice

1. Sample:



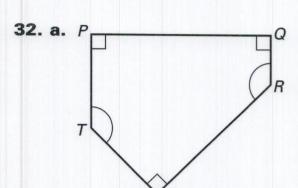
- **2.** 2n; no; only n angles are considered.
- 3. 1260°
- 4. 2160°
- **5.** 2520°
- **6.** 3240°
- **7.** quadrilateral **8.** hexagon
- **9.** 13-gon
- **10.** 15-gon
- **11.** 117
- **12.** 150
- 13. $28\frac{1}{3}$

- 14. 111
- **15.** 66
- **16.** 53
- 17. The student thinks that because an octagon has 8 exterior angles while a hexagon has only 6 exterior angles, the sum of the measures of the 8 angles must be greater than the sum of the measures of the 6 angles. The sum of the measures of the exterior angles of any convex n-gon is always 360°.
- 18. B
- **19.** 108°, 72°
- **20.** 160°, 20°
- 21. 176°, 4°

- **22.** 20
- 23. The interior angle measures are the same in both pentagons and the ratios of corresponding sides would be the same.
- 24. 15
- 25. 40
- 26. a. Yes; the number of sides would be 24.
 - **b.** Yes; the number of sides would be 40.
 - c. No; solving the equation $(n-2) \cdot 180 = 75n$ does not yield a positive integer greater than or equal to 3.
 - **d.** No; solving the equation $(n-2) \cdot 180 = 40n$ does not yield a positive integer greater than or equal to 3.
- **27.** 3 sides; solve the equation $(n + x - 2) \cdot 180 = 540 +$ $(n-2) \cdot 180$ for x where n is the number of original sides and x is the number of sides added.

8.1 Problem Solving

- **28.** 540°
- **29.** 720°
- **30.** 120°
- **31.** 144°; 36°



- **b.** 540°
- c. 135°, 135°
- 33. In a pentagon draw all the diagonals from one vertex. Observe that the polygon is divided up into three triangles. Since the sum of the measures of the interior angles of each triangle is 180° the sum of the measures of the interior angles of the pentagon is $(5-2) \cdot 180^{\circ} = 3 \cdot 180^{\circ} = 540^{\circ}$.
- 34. In a quadrilateral, draw all the diagonals from one vertex.

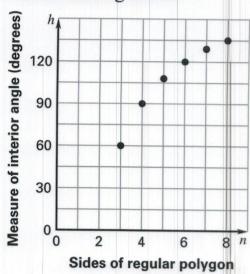
 Observe that the polygon is divided up into two triangles.

 Since the sum of the measures of the interior angles of each triangle is 180°, the sum of the measures of the interior angles of the quadrilateral is 2 180° = 360°.

35. Sample answer: In a convex *n*-gon the sum of the measures of the n interior angles is $(n-2) \cdot 180^{\circ}$ using the Polygon Interior Angles Theorem. Since each of the *n* interior angles forms a linear pair with its corresponding exterior angle, you know that the sum of the measures of the n interior and exterior angles is $180n^{\circ}$. Subtracting the sum of the interior angle measures from the sum of the measures of the linear pairs $(180n^{\circ} - [(n-2) \cdot 180^{\circ}])$, you get 360°.

36. a.
$$h(n) = \frac{(n-2) \cdot 180^{\circ}}{n}$$

- **b.** 140°; 12
- **c.** h(n)increases but its growth rate is slowing down.



37. a.

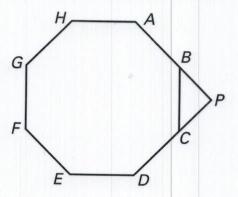
Polygons	Number of sides
Quadrilateral	4
Pentagon	5
Hexagon	6
Heptagon	7

Polygons	Number of triangles
Quadrilateral	2
Pentagon	3
Hexagon	4
Heptagon	5

Polygons	Sum of measures of interior angles
Quadrilateral	$2 \cdot 180^{\circ} = 360^{\circ}$
Pentagon	$3 \cdot 180^{\circ} = 540^{\circ}$
Hexagon	$4 \cdot 180^{\circ} = 720^{\circ}$
Heptagon	$5 \cdot 180^{\circ} = 900^{\circ}$

b. $s(n) = (n-2) \cdot 180^{\circ}$; the table shows that the number of triangles is two less than the number of sides.

38. 90°; the measure of each interior angle is 135°. This makes the measure of each exterior angle 45°. Since the interior angles of $\triangle BPC$ contain two exterior angles and $\angle BPC$, $m\angle BPC = 90^\circ$.



8.1 Mixed Review

- **39.** 82° , 82° ; $m \angle 2 + 98^{\circ} = 180^{\circ}$ since they are a linear pair and $\angle 1 \cong \angle 2$ using the Corresponding Angles Postulate.
- **40.** 150° , 30° ; $m \angle 1 = 150^{\circ}$ using vertical angles and $m \angle 2 = 30^{\circ}$ using the Consecutive Interior Angles Theorem.
- **41.** 54° , 54° ; $m \angle 1 + 126^{\circ} = 180^{\circ}$ since they are a linear pair and $\angle 1 \cong \angle 2$ using the Alternate Interior Angles Theorem.

42.
$$\frac{3}{1}$$

A3