8.2 Use Properties of Parallelograms

parallelogram - quadrilateral with both pairs of opposite sides parallel

THEOREMS

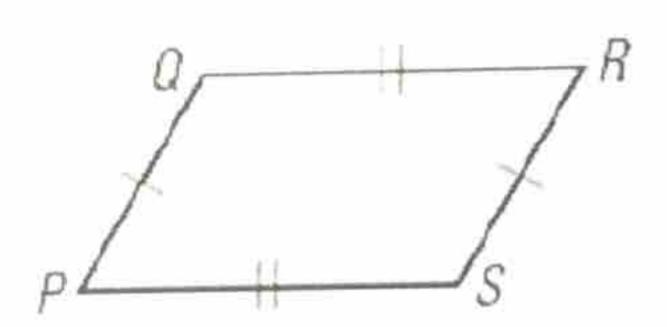
For Your Notebook

THEOREM 8.3

If a quadrilateral is a parallelogram, then its opposite sides are congruent.

If PQRS is a parallelogram, then $\overline{PQ}\cong \overline{RS}$ and $\overline{QR}\cong \overline{PS}$.

Proof: p. 516

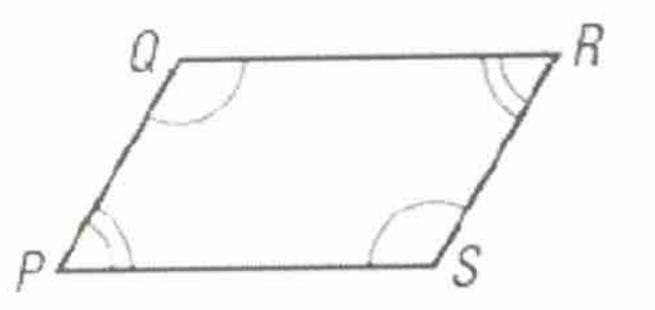


THEOREM 8.4

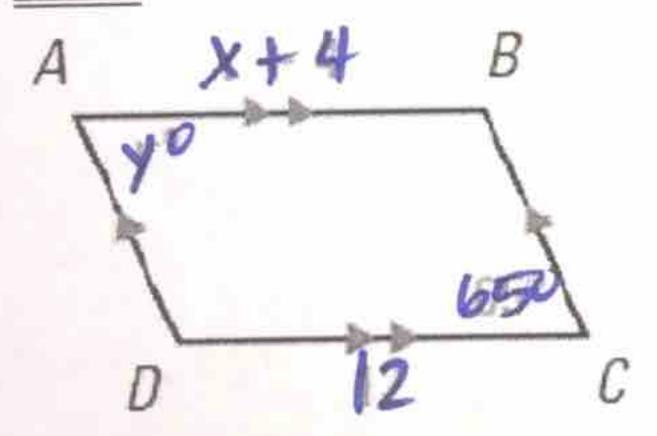
If a quadrilateral is a parallelogram, then its opposite angles are congruent.

If PQRS is a parallelogram, then $\angle P \cong \angle R$ and $\angle Q \cong \angle S$.

Proof: Ex. 42, p. 520



Ex 1: Find the values of x and y.



$$AB = CD$$

$$X + 4 = 12$$

$$X = 8$$

$$M - M - M - C$$
 $Y^0 = 65^0$
 $Y = 65^0$

THEOREM

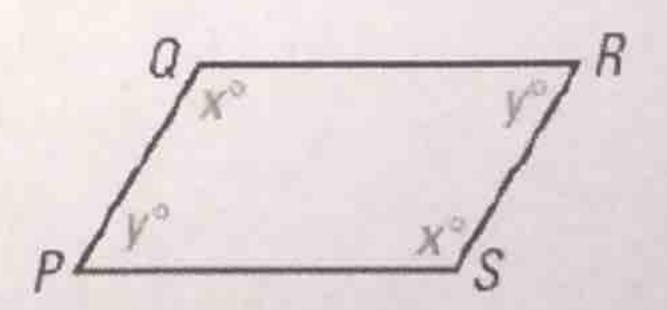
For Your Notebook

THEOREM 8.5

If a quadrilateral is a parallelogram, then its consecutive angles are supplementary.

If PQRS is a parallelogram, then $x^{\circ} + y^{\circ} = 180^{\circ}$.

Proof: Ex. 43, p. 520



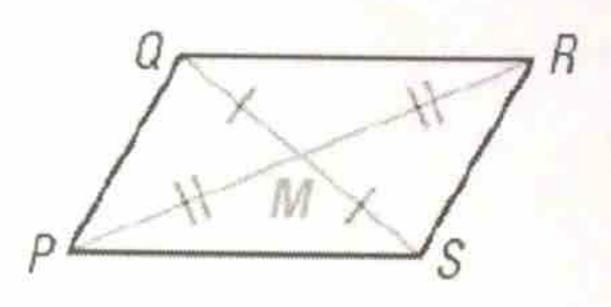
THEOREM

For Your Notebook

THEOREM 8.6

If a quadrilateral is a parallelogram, then its diagonals bisect each other.

Proof: Ex. 44, p. 521

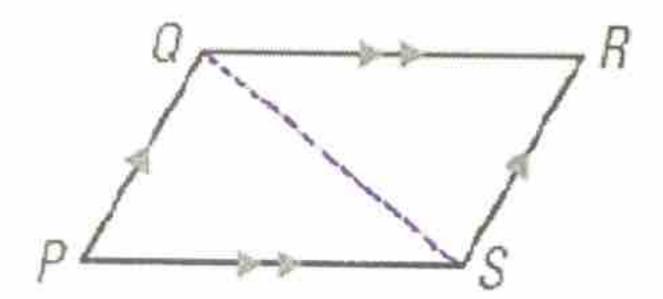


QM = SM and PM = RM

Ex 2: Prove Theorem 8.3

GIVEN ▶ PQRS is a parallelogram.

PROVE $\triangleright \overline{PQ} \cong \overline{RS}, \overline{QR} \cong \overline{PS}$

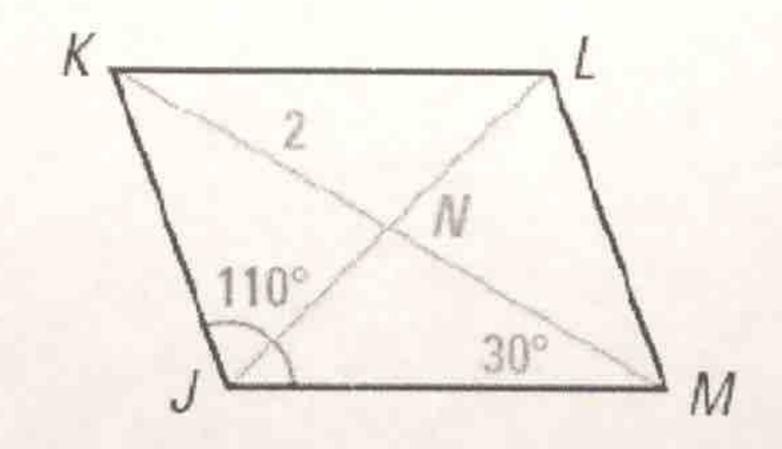


STATEMENTS

- 1. Pars is a 2
- 2. Draw as
- 3. PQ//RS, QR//PS
- 4. LPQS=LRSQ L PSQ = LRQS
- 5. as = as
- 6. A PQS = ARSQ
- 7. PQ = RS, QR = PS

REASONS

- 1. Given
- 2. Through any 2 points there
- exists exactly 1 line (Postulate 5)
 3. Definition of parallelogram
 4. Alternate Interior Angles Theorem
- 5. Reflexive Property of Congruence 6. ASA Congruence Postulate 7. CPCTC



Find the measure of NM.

KN = NM (7mm 8.6)

Ex 4: Find the m / JML

MZKJM= mZKLM = 110° quadrilateral = 360° 110°+x+110°+x=360

2x+220=360